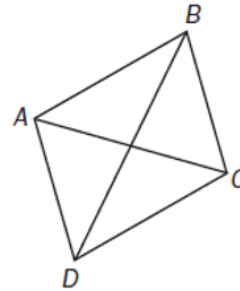


Friday 3/6/2020

1. Grab Notes & Calc.
2. Put your phones/earbuds away
3. Finish Dilation Notes from yesterday.
4. 2B Quiz discussion, 2A Test discussion (if time allows)
5. Dilation Practice (finish for HW)

Jul 31-9:37 PM

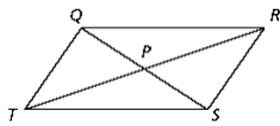
Warm-Up: 16) What proves that figure ABCD is a parallelogram?



- A. Diagonal BD bisects angle ABC.
- B. Side AB is equal to diagonal AC.
- C. Diagonal BD bisects diagonal AC.
- D. Diagonal BD is greater than diagonal AC.

Feb 27-2:32 PM

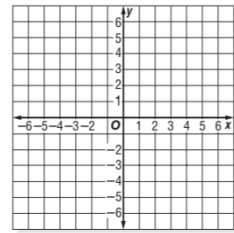
- 17) Which of the following would be enough information to prove that quadrilateral QRST is a parallelogram?



- A. $\overline{QR} \cong \overline{ST}$
 B. $\overline{QR} \parallel \overline{ST}$
 C. $\overline{QP} \cong \overline{PS}$ and $\overline{TP} \cong \overline{PR}$
 D. Two pairs of sides are congruent.

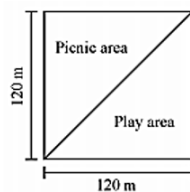
- 18) Quadrilateral RSTU has vertices R(-6, -3), S(3, 3), and T(4, -1). What are the coordinates of vertex U if RSTU is a parallelogram?

- A. (-5, -6)
 B. (-5, -7)
 C. (-6, -7)
 D. (-6, 3)



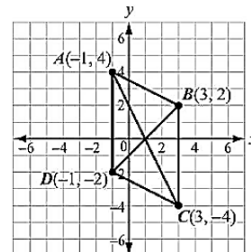
Feb 27-2:32 PM

- 19) A community is building a square park with sides that measure 120 meters. To separate the picnic area from the play area, the park is split by a diagonal line from opposite corners. Determine the approximate length of the diagonal line that splits the square. If necessary, round your answer to the nearest meter.



- A. 28,800 meters
 B. 170 meters
 C. 240 meters
 D. 120 meters

- 20) Parallelogram ABCD has vertices as shown.



Which equation would be used in proving that the diagonals of parallelogram ABCD bisect each other?

- A. $\sqrt{(3 - 1)^2 + (2 - 0)^2} = \sqrt{(1 - 3)^2 + (0 + 4)^2}$
 B. $\sqrt{(3 + 1)^2 + (2 + 0)^2} = \sqrt{(1 + 3)^2 + (0 + 4)^2}$
 C. $\sqrt{(-1 - 1)^2 + (4 - 0)^2} = \sqrt{(1 - 3)^2 + (0 + 4)^2}$
 D. $\sqrt{(-1 + 1)^2 + (4 + 0)^2} = \sqrt{(1 + 3)^2 + (0 - 4)^2}$

What am I learning today?

Learning Objective 2C.2

How to dilate a figure using a scale factor.

Jul 31-6:18 PM

What will I do to show that I have learned it?

I can...Use a scale factor and a center of dilation by multiplying the pre-image to create similar figures.

Jul 31-6:18 PM

- **Dilation** – A **transformation** that changes the **SIZE** of a figure.
- Dilations can result in a **BIGGER** or **SMALLER** figure than the pre-image.
- ***Since dilations **do not** maintain the same distance /length between the points from the pre-image to the image, a dilation is **NOT** an **ISOMETRY**.***

4 qualities preserved during a dilation transformation:

- ✓ **ANGLE** measures
- ✓ Corresponding sides are **PROPORTIONAL**
- ✓ Pre-image and image coordinates are **COLINEAR**
(on the same line) from the center of dilation

Sep 5-7:54 AM

- Dilations need **two** things:

1. **SCALE FACTOR** $\rightarrow \frac{\text{new}}{\text{old}} = \frac{A'}{A}$

2. **Center of Dilation**

$(0,0)$

We often use the **ORIGIN for the center of dilation; when this happens simply **multiply** the scale factor with the **COORDINATES** of each vertex **

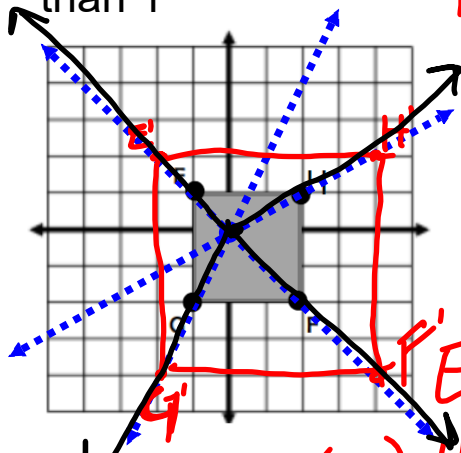
$k = \text{Scale factor}$

$$(x, y) \rightarrow (kx, ky)$$

Sep 5-8:06 AM

- An image that is **bigger** than the pre-image is called an **ENLARGEMENT**
- This means the **scale factor** was **MORE** than 1

$k > 1$ ex: 3, $\frac{3}{2}$, 20



Find the image E'H'F'G' after a dilation centered at the origin with a scale factor of 2

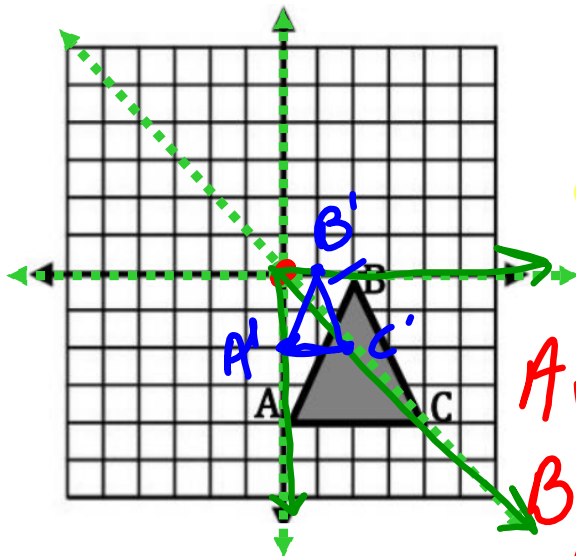
$E(-1, 1) \xrightarrow{\times 2} E'(-2, 2)$
 $F(2, -2) \xrightarrow{\times 2} F'(4, -4)$
 $G(1, -2) \xrightarrow{\times 2} G'(-2, -4)$
 $H(2, 1) \xrightarrow{\times 2} H'(4, 2)$

Sep 5-8:06 AM

- An image that is **smaller** than the pre-image is called an **REDUCTION**
- This means the **scale factor** was **LESS** than 1

ex: $\frac{1}{2}$, $\frac{2}{3}$, $\frac{2}{5}$

$k < 1$



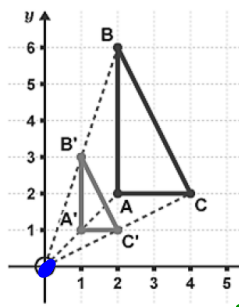
Find the image A'B'C' after a dilation centered at the origin with a scale factor of $\frac{1}{2}$

$A(0, -4) \rightarrow A'(0, -2)$
 $B(2, 0) \rightarrow B'(1, 0)$
 $C(4, -4) \rightarrow C'(2, -2)$

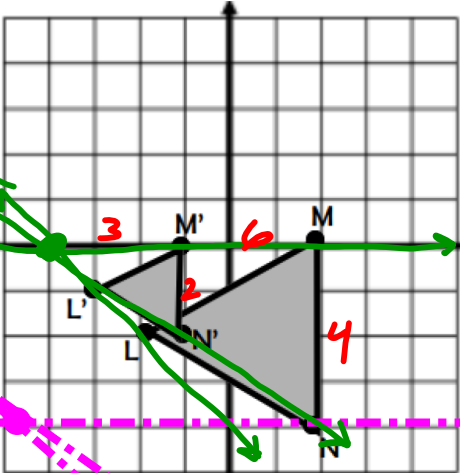
Sep 5-8:07 AM

- An image that is **the same size** as the pre-image is called a **CONGRUENCE**
- This means the **scale factor** was **EQUAL** to 1.

$$k=1$$



Connect the corresponding vertices with lines and find the intersection point!

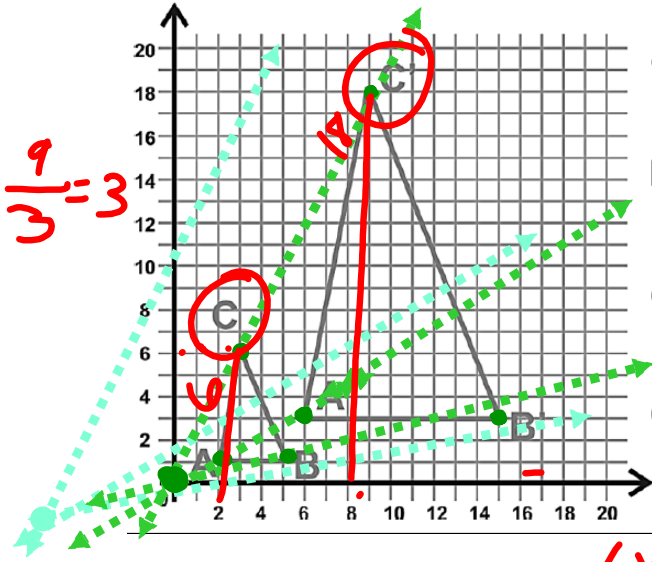


C.O.D: A
fixed point
In the plane
about which
points are
Expanded or
Contracted

1. Find the center of dilation.
2. Calculate the scale factor.

$(-4, 0)$
 $\frac{3}{6} = \boxed{\frac{1}{2}}$
New
Old

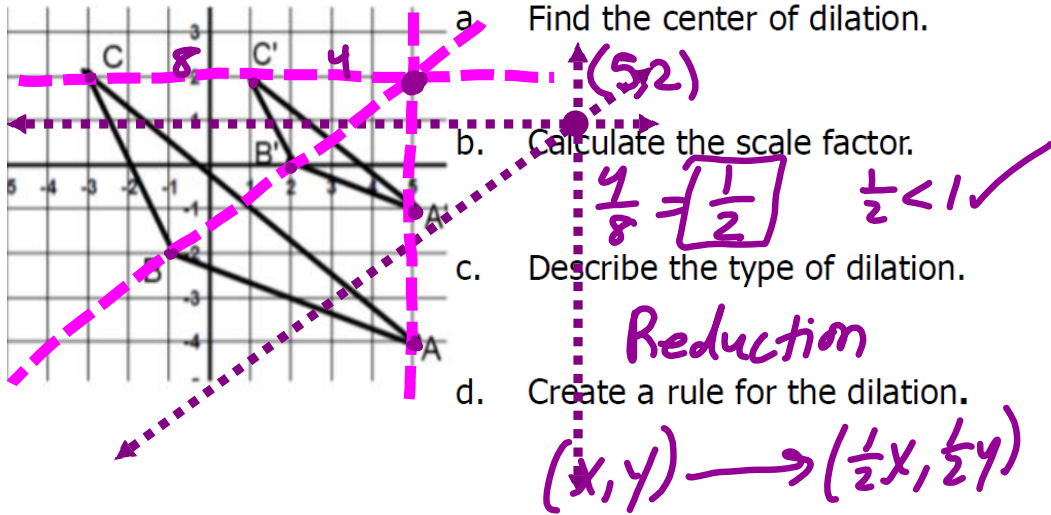
Sep 5-8:07 AM



1. Find the center of dilation.
2. Calculate the scale factor.
3. Describe the type of dilation.
4. Create a rule for the dilation.

$(x, y) \rightarrow (3x, 3y)$

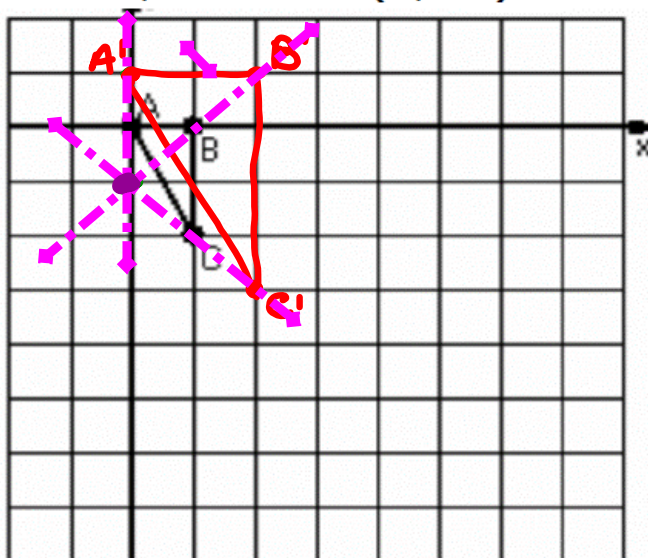
Sep 5-8:07 AM



Feb 28-3:52 PM

3. Graph the image using the dilation and center of dilation.

$k = 2 > 1$
 Dilation = 2, center D(0, -1)



Feb 28-3:52 PM

4. Complete the coordinates of the image after a dilation of scale factor k centered at the origin.

$A(1, 1)$ $B(3, 1)$ and $C(-2, -3)$;

$k = 3$ $3 > 1 \rightarrow$ enlargement

$$A(1, 1) \xrightarrow{\times 3} A'(3, 3)$$

$$B(3, 1) \xrightarrow{\times 3} B'(9, 3)$$

$$C(-2, -3) \xrightarrow{\times 3} C'(-6, -9)$$

Feb 28-3:52 PM

Classwork:



Complete the classwork about using dilations.

HW: Complete the packet

Jul 31-9:12 PM